

Title of the talk

Subtitle of the Talk

Author Name

Subauthor

Date

Title of slide



Theorem *This is some theorem that we write here as an example that has x and y and some other things.*

$$1 + 2 + 3 + \cdots + n = \frac{1}{2}n(n + 1) \quad (1)$$

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- Plain T_EX;

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How these slides were typeset?

- Purely typeset in Plain T_EX format by Donald Knuth's T_EX engine;
- The macros defining the style of these slides is around 300 lines of code;
 - ▶ Mostly made of T_EX primitive control sequences;
 - ▶ Achieving graphical effect is done via driver;
 - ▶ Pausing is done entirely inside T_EX and driver independent;
 - ◊ I did this in T_EX output routine;
- The text typeface is Computer Modern Sans Serif by Donald Knuth;
- The mathematics typeface is AMS Euler by Herman Zapf;

References

- [1] C. W. Borchardt, “Ueber eine der Interpolation entsprechende Darstellung der Eliminations-Resultante,” *Journal für die reine und angewandte Mathematik* **57** (1860), 111–121.
- [2] Karel Čulík, “Zur Theorie der Graphen,” *Časopis pro Pěstování Matematiky* **83** (1958), 133–155.
- [3] Dragoš M. Cvetković, Michael Doob, Ivan Gutman, and Aleksandar Torgašev, *Recent Results in the Theory of Graph Spectra*, Annals of Discrete Mathematics **36** (1988).